

# Heterogenous Firms, Trade/FDI and Inequality/Welfare

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- Long history of Welfare gain from globalization.
- But link between Inequality and globalization still remains under explored.
  - Some papers talk about this link but only restricts to trade.  $\implies$ 
    - What happens if we consider FDI as well?
  - Most of the literature on this link considers some sorting/matching in the labor market that leads to higher inequality.  $\implies$ 
    - Can a rent-sharing mechanism explain this link?

- Melitz (2003)
  - Homothetic preference
  - Firm heterogeneity
  - Monopolistically competitive output market.
- Additional feature
  - Wage is firms' rents ( $w(\phi) = \phi^\theta$  for  $\forall \theta \in (0, 1)$ )
  - FDI: Horizontal FDI with Proximity Concentration
- Lorenz Curve and GINI
  - Employment distribution from the equilibrium distribution of firms productivity.
  - Apply a random variable transformation technique, using the wage equation, to obtain the weighted wage distribution.
  - Construct the Lorenz curve and GINI coefficient to study the economy at different state.

# Assumptions

- 2 symmetric countries, 2 goods.
- Homogenous final output (Not traded in open market)
- Heterogeneous intermediate goods (traded in open market) compete in monopolistic market.
- Firms pay  $f_e$  to draw their productivity  $\phi$  from a Pareto distribution  $g(\phi) = \frac{\alpha}{\phi^{\alpha+1}}$  for  $\forall \phi > 1$  and  $\alpha > \varepsilon$ .
- Once in production firms pay  $f > f_e$  if serves only domestic market,  $f_x \tau^{\sigma-1} > f$  if serves export market and  $f_l > f_x \tau^{\sigma-1}$  if serves investment market.
- A Tariff/Transportation cost ( $\tau > 1$ ) is in place for exporters.
- Firms share their rent with her workers  $\theta \in (0, 1)$ .
- Constant elasticity of substitution  $\sigma > 1$ .
- A labor market without any sorting/matching (no unemployment).
- $L$  number of workers supply  $l = 1$  hours of labor inelastically.

- The consumer face CES utility,  $U = Y = [\int_{\phi \in \Omega} q(\phi)^{\frac{\sigma-1}{\sigma}} d\phi]^{\frac{\sigma}{\sigma-1}}$ .
- The Demand function for a variety is given by:  
 $q(\phi) = Rp(\phi)^{-\sigma} P^{\sigma-1}$ .  $R$  is the aggregate income and  $P$  is the aggregate price index. I will normalize the Price index  $P = 1$ . Note that,  $P$  represents the price for final output,  $Y$ , as well.
- The demand for export good is  $q_x(\phi) = Rp_x(\phi)^{-\sigma} P^{\sigma-1}$  and for FDI the demand is  $q_I(\phi) = Rp_I(\phi)^{-\sigma} P^{\sigma-1}$ , where  $p_x$  and  $p_I$  is the price charged by exporters and investors respectively.
- Firms offer wage  $w(\phi) = \phi^\theta$ . The limiting case of rent-sharing parameter will be 1 and 0. At 0 we go back to standard Melitz (2003) model; On the other hand, at 1 all firm charge same price and end up making same profit. Hence we cannot distinguish between firms.
- Individual has no preference over their employment. It is solely firms decision.

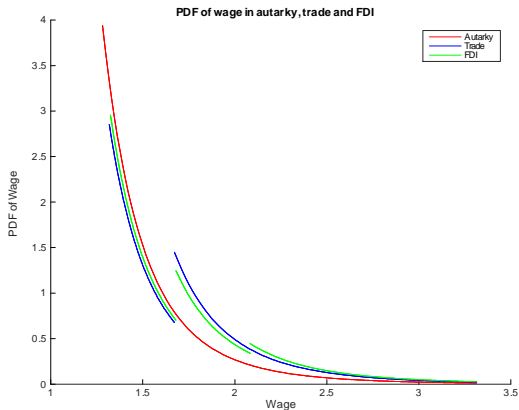
# Production side

- Firms pay all the fixed cost using final output  $Y$ .
- After paying  $f_e$ , firms draw their productivity  $\phi$  from a PDF  $g(\phi)$ . If their productivity is high enough they go for production or else they exit the market.
- Firm uses labor as a variable input of production:  $l(\phi) = q(\phi)/\phi$ .
- Firms charge  $p(\phi) = \frac{\sigma}{\sigma-1}\phi^{\theta-1}$  once they observe  $\phi$ ; but exporters charge  $p_x(\phi) = \tau p(\phi)$  and investors charge  $p_I(\phi) = p(\phi)$ .
- Revenue earned by domestic producers only, exporters and investors are given by  $r_d(\phi) = R\phi^\varepsilon \left[\frac{\sigma-1}{\sigma}\right]^{\sigma-1}$ ,  $r_x(\phi_x) = \tau^{1-\sigma}r(\phi_x)$  and  $r_I(\phi_I) = r(\phi_I)$  respectively<sup>1</sup>.
- Firm's profit ( $\pi_s(\phi) = \frac{r_s(\phi)}{\sigma} - f_s$  for  $s = d, x, I$ ) function is an increasing function of their productivity. Hence from zero profit condition ( $\pi_s(\phi_s^*) = 0$ ) I can segregate producers into three different groups: domestic producers only, exporters and domestic market producers and lastly investor and domestic market producers.

<sup>1</sup>Note that  $\varepsilon = (1 - \theta)(\sigma - 1)$ .

# Results

- As countries open up new channels to access foreign market in the presence of rent-sharing
  - $\uparrow$  inequality and welfare



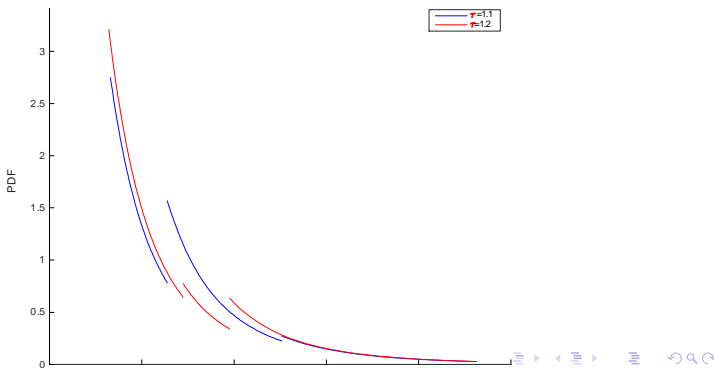
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- Exposure to foreign market enables some highly productive exporters and investors to expand their market share.
  - These market shares are absorbed from the exiting and surviving shrinking producers.
- To satisfy this additional foreign demand, they hire the workers who lost jobs from exiting and shrinking firms.
- In this way some of the population move away from the average wage, as the average wage of exporters and investors increase relatively more compare to the whole economy.



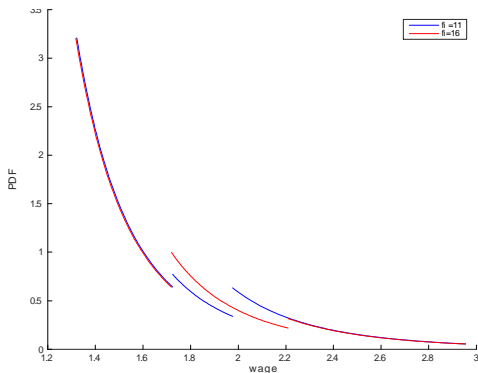
# A symmetric bilateral tariff reduction

- A symmetric bilateral tariff reduction:  $\downarrow$  inequality but  $\uparrow$  Welfare per worker
  - Some highly productive domestic producers find exporting is more profitable.  $\implies \uparrow$  competition.
  - Some least productive investors find exporting is more profitable.  $\implies \downarrow$  competition.



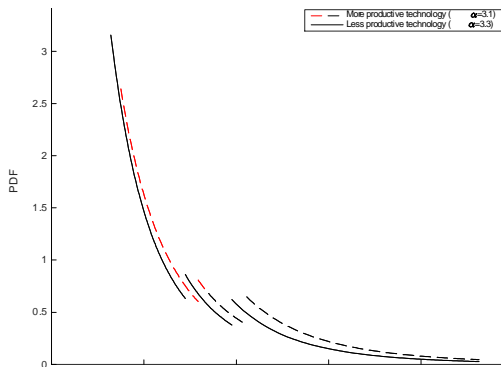
# A symmetric reduction of fixed cost to invest

- A decrease in fixed cost to invest:  $\uparrow$  inequality and  $\uparrow$  Welfare per worker
  - Opens up investing opportunity to some highly productive exporters.  
 $\implies$   $\uparrow$  competition in the foreign market; that pushes out some least productive exporters.



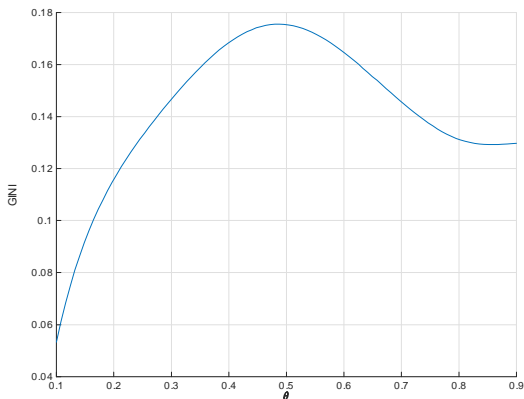
# The effect of Technological Improvement

- A decrease in shape parameter ( $\alpha$ ):  $\uparrow$  inequality and  $\uparrow$  Welfare per worker
  - Some least productive domestic firms exit the market due to  $\uparrow$  competition.  $\implies$  This market share is absorbed by surviving firms.
  - Change in market share: Investors  $>$  Exporters  $>$  Domestic producers only.



# Effect of rent-sharing on inequality.

- $\theta \in (0.1, 0.5)$ : A positive relation between inequality and rents.  $\implies$  Since workers from high productive firms earn more.
- $\theta > 0.5$ : Firms share majority of their profit and cannot compete in the foreign market.  $\implies \downarrow$  their market share and inequality decreases.



## The End

- Questions
- Suggestions